

GKCTF2020_Crypto_复现

原创

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订阅专栏

GFCTF_Crypto_复现

小学生的密码学

keywords: [仿射密码](#)

在线解密网址: [CTF在线工具-在线仿射密码加密|在线仿射密码解密|仿射密码算法|Affine Cipher \(hiencode.com\)](#)

汉字的秘密

keywords: [当铺密码](#), [变异凯撒](#)

解密脚本

```

dic = {"王": 6, "壮": 9, "工": 4, "夫": 7, "中": 2, "由": 1, "井": 8, "士": 5, "口": 0, " ": "temp", "人": 3, "士": 5}
c = "王壮 夫工 王中 王夫 由由井 井人 夫中 夫夫 井王 土土 夫由 土夫 井中 士夫 王工 王人 土由 由口夫"
ls = []
for i in range(len(c)):
    ls.append(dic[c[i]])
print(ls)
temp = ""
ls2 = []
for i in ls:
    if i == "temp":
        ls2.append(temp)
        temp = ""
        continue
    else:
        temp = temp + str(i)
ls2.append("107")
print(ls2)
flag = ""
for i in ls2:
    flag = flag + chr(int(i))
print(flag)
real_flag = ""
for i in range(len(flag)):
    temp = int(ls2[i]) + i + 1
    real_flag += chr(temp)
print(real_flag.lower())

```

babyCtypto

keywords: 高位攻击

已知 p 的高128位数据，直接套高位攻击的脚本（深入浅出RSA在CTF中的攻击套路 - 先知社区 (aliyun.com)）

```

from Crypto.Util.number import *
import gmpy2

n = 0xb119849bc4523e49c6c038a509a74cda628d4ca0e4d0f28e677d57f3c3c7d0d876ef07d7581fe05a060546fedd7d061d3bc70d679b
6c5dd9bc66c5bdad8f2ef898b1e785496c4989daf716a1c89d5c174da494eee7061bcb6d52cafa337fc2a7bba42c918bbd3104dff62ecc9d
3704a455a6ce282de0d8129e26c840734ffd302bec5f0a66e0e6d00b5c50fa57c546c99f9d7e6a978db77997082b4cb927df9847dffef551
38cb946c62c9f09b968033745b5b6868338c64819a8e92a827265f9abd409359a9471d8c3a2631b80e5b462ba42336717700998ff38536c2
436e24ac19228cd2d7a909ead1a8494ff6c3a7151e888e115b68cc6a7a8c6cf8a6c005
e = 65537
enc = 1422566584480199878714663051468143513667934216213366733442059106529451931078271460363335887054199577950679
1026592701794759111017476251205444292623342144836883321115520045358281824251529652235991601296109900369111460291
7003359205576898342790483539585041463465956509219146087590023771159742127231203279644094850972449202724737611321
8678183443222364531669985128032971256792532015051829041230203814090194611041172775368357197854451201260927117792
2775596902053425154376254177928676922808491395376877639192693378228997469242698476941388991658200041603191187492
98031065800530869562704671435709578921901495688124042302500361
# p >> 128 << 128
high_p = 0xe4e4b390c1d201dae2c00a4669c0865cc5767bc444f5d310f3cfc75872d96feb89e556972c99ae20753e3314240a52df5dcdd
076a47c6b5d11b531b92d901b2b512aeb0b263bbfd624fe3d52e5e238beeb581ebe012b2f176a4ffd1e0d2aa8c4d3a2656573b727d4d3136
513a931428b00000000000000000000000000000000000000000000000000000

# sage
# kbits = 128
# PR.<x> = PolynomialRing(Zmod(n))
# f = x + high_p
# low_p = f.small_roots(X=2^kbits, beta=0.3)[0]
# print(low_p)
low_p = 194744276640369236134349576809641082787
p = int(low_p) + high_p
q = n // p
phi_n = (p - 1) * (q - 1)
print(phi_n)
d = gmpy2.invert(e, phi_n)
m = pow(enc, d, n)
print(m)
print(long_to_bytes(m))

```

Backdoor

keywords: [ROCA漏洞](#)

ROCA漏洞是一个加密漏洞，它允许从具有漏洞的设备生成的密钥中的公钥中恢复密钥对的私钥。"ROCA"是"Return of Coppersmith's attack"的缩写。ROCA漏洞 - 维基百科，自由的百科全书 (wikipedia.org)

就是形如

漏洞利用思路: [弱素数生成器 \(RSALib\) \(asecuritysite.com\)](#)

github有现成的攻击脚本: [GitHub - FlorianPicca/ROCA: A Sage implementation of the ROCA attack](#)

解题代码 (来自github)

```

from sage.all import *
from tqdm import tqdm

def solve(M, n, a, m):
    # I need to import it in the function otherwise multiprocessing doesn't find it in its context
    from sage.functions import coppersmith, howgrave_univariate

```

```

from sage_functions import coppersmith_howgrave_univariate

base = int(65537)
# the known part of p: 65537^a * M^-1 (mod N)
known = int(pow(base, a, M) * inverse_mod(M, n))
# Create the polynom f(x)
F = PolynomialRing(Zmod(n), implementation='NTL', names=('x',))
(x,) = F._first_ngens(1)
pol = x + known
beta = 0.1
t = m+1
# Upper bound for the small root x0
XX = floor(2 * n**0.5 / M)
# Find a small root (x0 = k) using Coppersmith's algorithm
roots = coppersmith_howgrave_univariate(pol, n, beta, m, t, XX)
# There will be no roots for an incorrect guess of a.
for k in roots:
    # reconstruct p from the recovered k
    p = int(k*M + pow(base, a, M))
    if n%p == 0:
        return p, n//p

def roca(n):

    keySize = n.bit_length()

    if keySize <= 960:
        M_prime = 0x1b3e6c9433a7735fa5fc479ffe4027e13bea
        m = 5

    elif 992 <= keySize <= 1952:
        M_prime = 0x24683144f41188c2b1d6a217f81f12888e4e6513c43f3f60e72af8bd9728807483425d1e
        m = 4
        print("Have you several days/months to spend on this ?")

    elif 1984 <= keySize <= 3936:
        M_prime = 0x16928dc3e47b44daf289a60e80e1fc6bd7648d7ef60d1890f3e0a9455efe0abdb7a748131413cebd2e36a76a355c
1b664be462e115ac330f9c13344f8f3d1034a02c23396e6
        m = 7
        print("You'll change computer before this scripts ends...")

    elif 3968 <= keySize <= 4096:
        print("Just no.")
        return None

    else:
        print("Invalid key size: {}".format(keySize))
        return None

    a3 = Zmod(M_prime)(n).log(65537)
    order = Zmod(M_prime)(65537).multiplicative_order()
    inf = a3 // 2
    sup = (a3 + order) // 2

    # Search 10 000 values at a time, using multiprocessing
    # too big chunks is slower, too small chunks also
    chunk_size = 10000
    for inf_a in tqdm(range(inf, sup, chunk_size)):
        # create an array with the parameter for the solve function
        inputs = [(M_prime, n, a, m), (a, m)]

```

```

# the sage builtin multiprocessing stuff
from sage.parallel.multiprocessing_sage import parallel_iter
from multiprocessing import cpu_count

for k, val in parallel_iter(cpu_count(), solve, inputs):
    if val:
        p = val[0]
        q = val[1]
        print("found factorization:\np={}\nq={}".format(p, q))
        return val

if __name__ == "__main__":
    # Normal values
    #p = 88311034938730298582578660387891056695070863074513276159180199367175300923113
    #q = 122706669547814628745942441166902931145718723658826773278715872626636030375109
    #a = 551658, interval = [475706, 1076306]
    # won't find if beta=0.5
    # p = 80688738291820833650844741016523373313635060001251156496219948915457811770063
    # q = 69288134094572876629045028069371975574660226148748274586674507084213286357069
    # #a = 176170, interval = [171312, 771912]
    # n = p*q
    n = 15518961041625074876182404585394098781487141059285455927024321276783831122168745076359780343078011216480
587575072479784829258678691739
    # For the test values chosen, a is quite close to the minimal value so the search is not too long
    roca(n)

```

```

from sage.all_cmdline import *

def coppersmith_howgrave_univariate(pol, modulus, beta, mm, tt, XX):
    """
    Taken from https://github.com/mimoo/RSA-and-LLL-attacks/blob/master/coppersmith.sage
    Coppersmith revisited by Howgrave-Graham

    finds a solution if:
    *  $b \mid \text{modulus}$ ,  $b \geq \text{modulus}^\beta$ ,  $0 < \beta \leq 1$ 
    *  $|x| < XX$ 
    More tunable than sage's builtin coppersmith method, pol.small_roots()
    """
    #
    # init
    #
    dd = pol.degree()
    nn = dd * mm + tt

    #
    # checks
    #
    if not  $0 < \beta \leq 1$ :
        raise ValueError("beta should belongs in [0, 1]")

    if not pol.is_monic():
        raise ArithmeticError("Polynomial must be monic.")

    #
    # calculate bounds and display them
    #
    """
    * we want to find  $g(x)$  such that  $\|g(xX)\| \leq b^m / \text{sqrt}(n)$ 
    """

```

```

* we know LLL will give us a short vector v such that:
||v|| <= 2^((n - 1)/4) * det(L)^(1/n)

* we will use that vector as a coefficient vector for our g(x)

* so we want to satisfy:
2^((n - 1)/4) * det(L)^(1/n) < N^(beta*m) / sqrt(n)

so we can obtain ||v|| < N^(beta*m) / sqrt(n) <= b^m / sqrt(n)
(it's important to use N because we might not know b)
"""
#
# Coppersmith revisited algo for univariate
#

# change ring of pol and x
polZ = pol.change_ring(ZZ)
x = polZ.parent().gen()

# compute polynomials
gg = []
for ii in range(mm):
    for jj in range(dd):
        gg.append((x * XX) ** jj * modulus ** (mm - ii) * polZ(x * XX) ** ii)
for ii in range(tt):
    gg.append((x * XX) ** ii * polZ(x * XX) ** mm)

# construct lattice B
BB = Matrix(ZZ, nn)

for ii in range(nn):
    for jj in range(ii + 1):
        BB[ii, jj] = gg[ii][jj]

BB = BB.LLL()

# transform shortest vector in polynomial
new_pol = 0
for ii in range(nn):
    new_pol += x ** ii * BB[0, ii] / XX ** ii

# factor polynomial
potential_roots = new_pol.roots()

# test roots
roots = []
for root in potential_roots:
    if root[0].is_integer():
        result = polZ(ZZ(root[0]))
        if gcd(modulus, result) >= modulus ** beta:
            roots.append(ZZ(root[0]))
return roots

```

需要在 [sagemath](#) 中运行这两个攻击脚本（且放在同一目录下，因为有引入模块的部分）

可以参考[paper: \(12条消息\) 在sagemath中运行python文件_M3ng@L的博客-CSDN博客](#)

得到结果

```
p=3386619977051114637303328519173627165817832179845212640767197001941
q=4582433561127855310805294456657993281782662645116543024537051682479
```

那么剩下的就是常规RSA解密了

```
from Crypto.PublicKey import RSA
from Crypto.Util.number import *
import base64
import gmpy2

# with open('C:\\Users\\Menglin\\Desktop\\pub.pem', 'r') as f:
#     key = RSA.import_key(f.read())
#     e = key.e
#     n = key.n
#     print(key.size_in_bits())
# with open("C:\\Users\\Menglin\\Desktop\\flag.enc") as f:
#     c = base64.b64decode(f.read())
#     c = bytes.decode(c)
# print("e = {}".format(e))
# print("n = {}".format(n))
# print("c = {}".format(c))

e = 65537
n = 155189610416250748761824045853940987814871410592854559270243212767838311221687450763597803430780112164805875
75072479784829258678691739
c = 0x02142af7ce70fe0ddae116bb7e96260274ee9252a8cb528e7fdd29809c2a6032727c05526133ae4610ed944572ff1abfcd0b17aa22
ef44a2
# print(n.bit_length())
p=3386619977051114637303328519173627165817832179845212640767197001941
q=4582433561127855310805294456657993281782662645116543024537051682479

phi_n = (p-1)*(q-1)
d = gmpy2.invert(e, phi_n)
m = pow(c, d, n)
print(long_to_bytes(m))
```