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原创

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分类专栏: [ctf crypto re](#)

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订阅专栏



crypto

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订阅专栏



re

2 篇文章 1 订阅

订阅专栏

1.crypto-not rsa

题目很简单, r 是一个随机数, $g=n+1$, 已知 $(\text{pow}(g,m,n^n) * \text{pow}(r,n,n^n)) \% (n^n) = c$, 即密文 c , 求解明文 m 。我们根据二项式定理易知可将 $\text{pow}(g,m,n^n) = \text{pow}(n+1,m,n^n) = \text{pow}(m^n+1,n^n)$ 。由于 $n=p*q$, 所以我们知道 $\phi(n^n) = p*(p-1)*q*(q-1)$ 。我们对加密公式两侧同时加 $(p-1)*(q-1)$ 次幂, 可化简为 $(\text{pow}((m^n+1),(p-1)*(q-1),n^n)) \% (n^n) = \text{pow}(c,(p-1)*(q-1),n^n)$ 从而将 r 化简掉。我们再借助二项式定理化简可得 $((p-1)*(q-1)^{m^n+1}) \% (n^n) = \text{pow}(c,(p-1)*(q-1),n^n)$ 。 $((p-1)*(q-1)^{m^n}) \% (n^n) = \text{pow}(c,(p-1)*(q-1),n^n) - 1$, $((p-1)*(q-1)^{m^n}) - (\text{pow}(c,(p-1)*(q-1),n^n) - 1) = k*n^n$ 。这时我们发现 $(\text{pow}(c,(p-1)*(q-1),n^n) - 1) \% n = 0$ 。于是我们做进一步化简可得 $((p-1)*(q-1)^m) \% n = (\text{pow}(c,(p-1)*(q-1),n^n) - 1) / n$, $m = ((\text{pow}(c,(p-1)*(q-1),n^n) - 1) / n)$ 乘以 $(p-1)*(q-1)$ 模 n 的逆, 可将 m 求解, 具体代码如下:

```
import gmpy2
c=290889110547115092522156152310151629980425794259179144349623762434771767574480537226024226722517583320523
n=640101395461244581816550728987058004135856925881761328214285288196588479998894153591093966406850336730334
p = 80006336965345725157774618059504992841841040207998249416678435780577798937819
q = 80006336965345725157774618059504992841841040207998249416678435780577798937447
assert p*q==n
phi=(p-1)*(q-1)
c1=pow(c,phi,n^n)-1
c2=c1/n
m=(c2*gmpy2.invert(phi,n))%n
print hex(m)[2:].decode("hex")
```

2.crypto-ComplexEncode

首先贴上题目

```
from Crypto.Util.number import *
from flag import FLAG,false_flag
import gmpy2
```

```

import random
import hashlib
import base64

def rsaEncode(msg):
    f=open("out","a")
    while True:
        ran=random.randint(3, 12)
        if isPrime(ran):
            break
    e=ran*getPrime(30)
    p = getPrime(1024)
    q = getPrime(1024)
    while (not gmpy2.gcd((p-1)*(q-1),e)==ran or p*q<pow(msg,ran)):
        p = getPrime(1024)
        q = getPrime(1024)
    n=p*q
    assert(pow(msg,ran)<n)
    print("rsaEncode_init_finish!")
    dsaEncode(p)
    f.write("rsaEncode n:"+hex(n)+"\n")
    f.write("rsaEncode e:"+hex(e)+"\n")
    c=pow(msg,e,n)
    f.write("rsaEncode flag is:"+hex(c)+"\n")
    f.close()

def rsaEncode2(m):
    m=int.from_bytes(m.encode(),'big')
    f=open("out","w")
    while True:
        ran=random.randint(20, 50)
        if isPrime(ran):
            break
    e=ran*getPrime(30)
    p = getPrime(1024)
    q = gmpy2.next_prime(p)
    while (not gmpy2.gcd((p-1)*(q-1),e)==ran or p*q>pow(m,ran)):
        p = getPrime(1024)
        q = gmpy2.next_prime(p)
    n=p*q
    assert(pow(m,ran)>n)
    c=pow(m,e,n)
    f.write("n2:"+hex(n)+"\n")
    f.write("e2:"+hex(e)+"\n")
    f.write("rsaEncode2 re is:"+hex(c)+"\n")
    f.close()
    print("rsaEncode2_finish!")
    return pow(m,ran,n)

def dsaEncode(p):
    key=genkey(p)
    (r,s,k,q)=sign(rsaEncode2(false_flag),key)
    sig= r.to_bytes(205, 'big') + s.to_bytes(205, 'big') + k.to_bytes(205, 'big')+ q.to_bytes(205, 'big')
    f=open("out","a")
    f.write("dsaEncode :"+base64.b64encode(sig).decode()+"\n")
    f.close()

def genkey(x):
    # DSA
    N=1024

```

```

N=1024
L=2048-N-1
while True:
    q = getPrime(N)
    if q-1>x:
        break
assert(q-1>x)
while True:
    t = random.getrandbits(L)
    p = (t * 2*q + 1)
    if isPrime(p):
        break
e = (p-1) // q
g = pow(2, e, p)
y = pow(g, x, p)
print("genkey_finish!")
return {'y':y, 'g':g, 'p':p, 'q':q, 'x':x}

def sign(m, key):
    g, p, q, x = key['g'], key['p'], key['q'], key['x']
    k = random.randint(1, q-1)
    Hm = int.from_bytes(hashlib.md5(str(m).encode('utf-8')).hexdigest().encode(), 'big')
    r = pow(g, k, p) % q
    s = (inverse(k, q) * (Hm + x*r)) % q
    return (r, s, k, q)

if __name__ == "__main__":
    msg=int.from_bytes(FLAG.encode(),'big')
    rsaEncode(msg)

```

阅读题目我们发现RSA1中的p就是dsa的密钥x，而在dsa中我们易知 $s \equiv (H(m) + xr)k^{-1} \pmod{q}$ ，而我们从base64的密文已知(r,s,k,q)。而我们在RSA2可以容易的解出m。于是我们倒着去做，十分容易解出原文。这里注意在RSA解密中e和phi不互质，所以我们要先求解 $m^{\gcd(e, \phi)}$ ，再解m。在dsa中直接是对RSA2中的 $m^{\gcd(e, \phi)}$ 做hash，所以不需求解，而在gcd(e,phi)较小，我们可以爆破求解m。同时在RSA2中n可以使用yafu轻松分解。代码如下

```

import gmpy2
import base64
import hashlib
n2=0x431a834246a5969d460cee6b7db01ec4e05daffd60d6674fd1cf3ab96544ad788df5ef729eba08fce3d6c237b47b7cbda093fb
e2=0x57e6b0c63
rsaEncode2=0x174e74a04d09ee859030c9fa292c266f9de06bf833dcffc5d24a4382251620cac743cf2d500428d5784fc271e61096
dsaEncode="AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA
n=0x769bf99a95e9f446788300bfc679b04f26498d26ce1f1384ef22a4bc0606d2fdcf4af86b8e9b26003f561532613a8b7bcb09c00
e=0x12a316381
flag=0xa97f8fd2cbf4aa1cae331dc5261c93a8da3c0a4aadd33cf204cdb2e38e3afdd16aed1a23cd911f96ddc7152b14120949235c
p2 = 920382548029925893348360212110217224168923430749885028207384259608428629855916209261984227591020715728
q2 = 920382548029925893348360212110217224168923430749885028207384259608428629855916209261984227591020715728
assert p2*q2==n2
phi=(p2-1)*(q2-1)
g2=gmpy2.gcd(e2,phi)
d2=gmpy2.invert(e2/g2,phi)
m2=pow(rsaEncode2,d2,n2)
Hm=int(hashlib.md5(str(m2).encode()).hexdigest().encode("hex"),16)
key=base64.b64decode(dsaEncode)
r=int(key[:205].encode("hex"),16)
s=int(key[205:410].encode("hex"),16)
k=int(key[410:615].encode("hex"),16)
q=int(key[615:820].encode("hex"),16)
x=(gmpy2.invert(r,q)*(k*s-Hm))%q
p=n/x
phi=(p-1)*(x-1)
g=gmpy2.gcd(e,phi)
d=gmpy2.invert(e/g,phi)
m=pow(flag,d,n)
for i in xrange(1000000):
    ss=gmpy2.iroot(i*n+m,g)
    if ss[1]:
        print ss[0]
        print hex(ss[0])[2:].decode("hex")
        break

```

reverse-入门逆向

```

7  _alloca(0x10u);
8  __main();
9  std::operator<<<std::char_traits<char>>((int)&std::cout, "input your key: ");
10 std::operator>><<char,std::char_traits<char>>(&std::cin, &v5);
11 for ( i = 0; i < strlen(&v5); ++i )
12  v6[i - 112] = (v6[i - 112] ^ 6) + 1;
13 if ( !strcmp(&v5, "akhb~chdaZrdaZudquvdZvvv|") )
14  std::operator<<<std::char_traits<char>>((int)&std::cout, "yes!you are right");
15 else
16  std::operator<<<std::char_traits<char>>((int)&std::cout, "try again");
17 system("PAUSE");
18 return 0;
19 }

```

<https://blog.csdn.net/zhang14916>

我们发现加密运算 $c[i]=m[i]^6+1$ 和密文"akhb~chdaZrdaZudquvdZvvv|", 求解即可, 代码如下

```

c="akhb~chdaZrdaZudquvdZvvv|"
m=""
for i in c:
    m=m+chr((ord(i)-1)^6)
print m

```

reverse-encrypt3

```

v3 = std::operator<<<std::char_traits<char>>(&std::cout, "Please input your magic number", a3);
std::ostream::operator<<(v3, &std::endl<char, std::char_traits<char>>);
std::istream::operator>>(&std::cin, &v11);
if ( v11 <= 9 )
    return 0xFFFFFFFF;
v15 = operator new[](v11);
for ( i = 0; i < v11; ++i )
    std::operator>><<char, std::char_traits<char>>(&std::cin, i + v15);
v6 = std::operator<<<std::char_traits<char>>(&std::cout, "You have input sth.", v5);
std::ostream::operator<<(v6, &std::endl<char, std::char_traits<char>>);
v8 = std::operator<<<std::char_traits<char>>(&std::cout, "I will mix them with the enc_flag!", v7);
std::ostream::operator<<(v8, &std::endl<char, std::char_traits<char>>);
for ( j = 0; j <= 37; ++j )
{
    v10 = 0;
    for ( k = 0; k < v11; ++k )
        v10 ^= *(_BYTE*)(k + v15);
    putchar(v10 ^ (unsigned __int8)*(&v16 + j));
}
std::operator<<<std::char_traits<char>>(&std::cout, "\nMaybe you have found the `flag`\n", v9);
return 0;
}

```

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我们会发现在这里是将我们的输入按字符做异或获得最后结果v10，然后将v10按字符和一串密文异或可能获得明文，这里我们尝试将0-128和密文做异或，找到解，代码如下：

```

c="$.#%9! qwps#&wtu!z$pws$ spwp&rqt{r!'{'?"
for j in xrange(128):
    m=""
    for i in c:
        m=m+chr((ord(i)^j))
    print m

```